

# Neonatal Health of Parents and Cognitive Development of Children

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## **1 Neonatal health is correlated with cognitive development**

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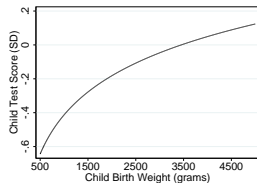
## **Q: What is the relationship between intergenerational correlation in neonatal health and child cognitive development?**

- Does parental neonatal health predict child cognitive development?
- Is the source of variation in neonatal health important?

## A. Neonatal health and cogn. development

$$\text{testscore} = \beta_0 + \beta_1 \log(BW_g) + u$$

- ▶ DK:  $\hat{\beta}_1 \approx 0.30$
- ▶ US:  $\hat{\beta}_1 \approx 0.29$  (Figlio et al; AER, 2014)



## A. Neonatal health and cogn. development

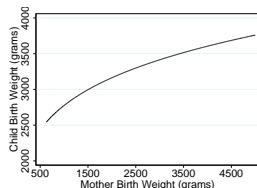
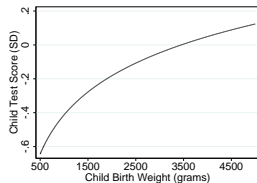
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## B. Intergen correlations in neonatal health

$$\log(BW_g) = \alpha_0 + \alpha_1 \log(BW_{g-1}) + e$$

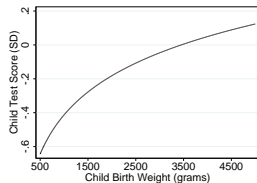
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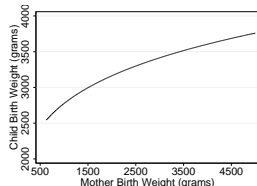
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## C. Neonatal health of parents and cogn. development of their children?

- ▶ Conjecture:  $0.18 \times 0.30 \approx 0.05$

A Does mother neonatal health predict child cognitive development?

B Is the source of variation in BW important?

C Does mother BW simply capture economic and human capital?

D Does father neonatal health predict child outcomes?



## 1 Danish Birth Registry

- ▶ Birth weight information on all births 1973-2014.

## 2 National Test Data

- ▶ Mandatory tests in public schools in grades 2-8.
- ▶ Reading, Math, English, Geography, Science, Biology.
- ▶ All tests 2010-2015.

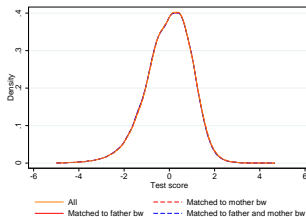
## 3 Administrative registers

- ▶ Grandparents' income, wealth, and education.
- ▶ Parents' income, wealth, education, employment, origin, age and high school grades.

## Selection

- ▶ **All children born 1995-2006.**
- ▶ **By parental birth weight:** Birth weight on parents available for children with relatively young parents.
- ▶ **By test data:** Test data available for children in public schools.

**Fig: Test distribution**



## Measurement

- ▶ **Standardized test score** (zero mean and unit sd).
- ▶ **Birth weight bins** and **Log birth weight**.

**Tab:** Summary statistics for selected child variables

	Mean	SD
<i>A. Child variables</i>		
Birth weight, grams	3482.70	587.59
Birth weight < 2,500gr	0.05	0.21
$2,500 \leq$ Birth weight < 3,000gr	0.11	0.32
$3,000 \leq$ Birth weight < 3,500gr	0.32	0.47
Birth weight > 3,500gr	0.52	0.50
Singleton	0.93	0.26
Number of tests	3.60	2.28
<i>B. Mother variables</i>		
Birth weight, grams	3291.95	538.99
Birth weight < 2,500gr	0.06	0.24
$2,500 \leq$ Birth weight < 3,000gr	0.20	0.40
$3,000 \leq$ Birth weight < 3,500gr	0.40	0.49
Birth weight > 3,500gr	0.34	0.47
Age at child birth	26.27	3.84
Smoked during pregnancy	0.22	0.41

# A Does parental neonatal health predict child cognitive development?

**Tab:** Mother neonatal health and child test score: partial estimates, conjecture and regression result

Method	Relationship	Point estimate	SE	Conf. int.
1. <i>regression:</i>	$y = \alpha + \beta \log(bw_g) + u$	0.30***	(0.012)	[0.27,0.32]

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3. <i>conjecture:</i>	$y = \alpha + \beta \log(bw_{g-1}) + u$	0.05***	(0.002)	[0.05,0.06]

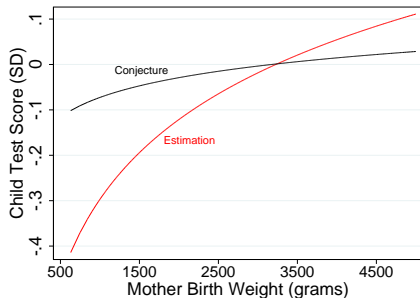
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4.	<i>regression:</i>	$y = \alpha + \beta \log(bw_{g-1}) + u$	0.25***	(0.014)	[0.22,0.28]

## A Does parental neonatal health predict child cognitive development?

**Fig:** Lin-log relationship - Mother's neonatal health and the child cognitive development



- ▶ Estimate  $testscore = \gamma_0 + \gamma_1 \log(BW_{g-1}) + \epsilon \Rightarrow \hat{\gamma}_1 \approx 0.25$

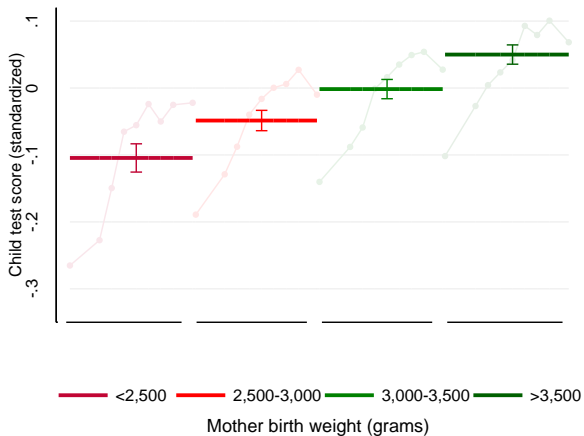
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- ▶ **Yes**, coefficient  $\approx$  five times larger than partial estimates suggest.



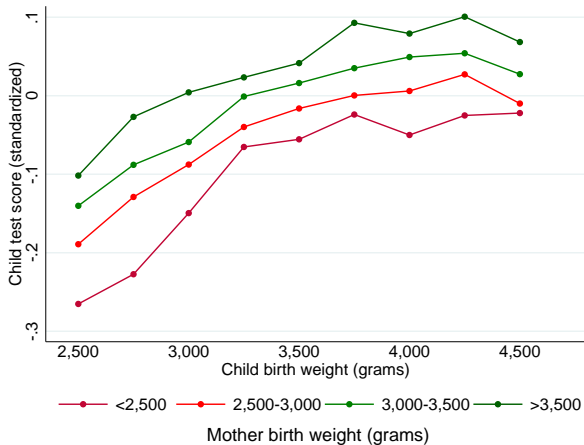
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### Potential explanations

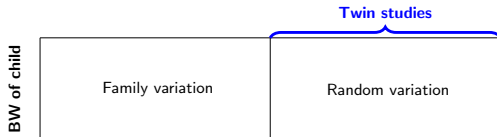
- ▶ Source of variation in child BW is important.

### Next step

- ▶ What is the relative importance of family variation in birth weight for child cognitive development?

### Decomposition exercise

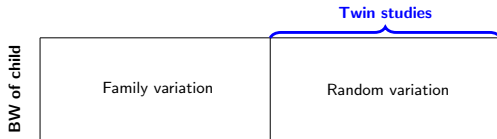
- 1 **Twin studies** measure the correlation between test score and the variation in birth weight unrelated to parental background.



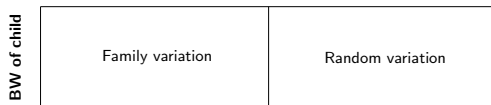
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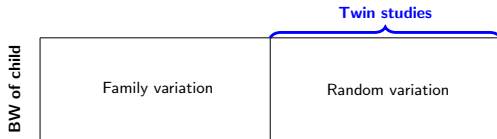


- 2 **We** measure the correlation between test score and the variation in birth weight related to parental birth weight.

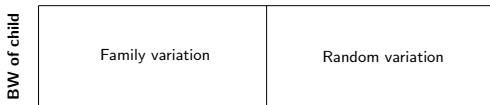


### Decomposition exercise

- 1 **Twin studies** measure the correlation between test score and the variation in birth weight unrelated to parental background.



- 2 **We** measure the correlation between test score and the variation in birth weight related to parental birth weight.



**Pro:** Not restricted to special sample of twins.

**Con:** Only part of family variation.

## B Relative importance of family variation in birth weight

Birth weight of child  $w_g$  related to birth weight of parents  $w_{g-1}$ :

$$w_g = \gamma_w w_{g-1} + \gamma_\varepsilon \varepsilon \quad (1)$$

Test score  $a$  of child:

$$a = \alpha_w w_{g-1} + \alpha_\varepsilon \varepsilon + \sigma \quad (2)$$

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$$\left. \frac{\partial a}{\partial w_g} \right|_{\partial w_{g-1}} = \frac{\partial a / \partial w_{g-1}}{\partial w_g / \partial w_{g-1}} = \frac{\alpha_w}{\gamma_w} \qquad \left. \frac{\partial a}{\partial w_g} \right|_{\partial \varepsilon} = \frac{\partial a / \partial \varepsilon}{\partial w_g / \partial \varepsilon} = \frac{\alpha_\varepsilon}{\gamma_\varepsilon}$$



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- ▶  $\frac{\alpha_w}{\gamma_w}$  equals  $\frac{\alpha_\varepsilon}{\gamma_\varepsilon} \Rightarrow$  doesn't matter where variation in birth weight comes from.
- ▶  $\frac{\alpha_w}{\gamma_w}$  greater (less) than  $\frac{\alpha_\varepsilon}{\gamma_\varepsilon} \Rightarrow$  variation in birth weight is more (less) important if related to parental birth weight.

### The OLS regression of test score on birth weight

$$\hat{\beta}_{OLS} = \frac{\text{cov}(a, w_g)}{\text{var}(w_g)} = \Omega \frac{\alpha_w}{\gamma_w} + (1 - \Omega) \frac{\alpha_\varepsilon}{\gamma_\varepsilon} \quad (3)$$

$$\text{where } \Omega = \frac{\gamma_w^2 \text{var}(w_{g-1})}{\gamma_w^2 \text{var}(w_{g-1}) + \gamma_\varepsilon^2 \text{var}(\varepsilon)}.$$

### The IV-regression

$$\hat{\beta}_{IV} = \frac{\text{cov}(a, w_{g-1})}{\text{cov}(w_g, w_{g-1})} = \frac{\alpha_w}{\gamma_w} \quad (4)$$

### The joint regression

$$a = \underbrace{\frac{\alpha_\varepsilon}{\gamma_\varepsilon}}_{\beta_1} w_g + \gamma_w \overbrace{\left( \frac{\alpha_w}{\gamma_w} - \frac{\alpha_\varepsilon}{\gamma_\varepsilon} \right)}^{\beta_2} w_{g-1} + \sigma \quad (5)$$

## B Relative importance of family variation in birth weight

**Tab:** Child test score and child birth weight: Decomposed into the source of variation in child birth weight.

	$\frac{\alpha_{\varepsilon}}{\gamma_{\varepsilon}}$	$\frac{\alpha_w}{\gamma_w}$	Ratio
<i>A. Log specification</i>	0.27*** (0.01)	1.36*** (0.08)	5.09*** (0.38)
<i>B. Level specification</i>	0.09*** (0.00)	0.39*** (0.02)	4.51*** (0.33)

### B Is the source of variation in BW important?

- ▶ **Yes**, variation in BW related to parental BW  $\approx$  five times more important than variation in BW unrelated to parental BW.

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### Next step

- ▶ Is the strong correlation between mother BW and child cognitive development simply capturing economic and human capital of parents?

**Tab:** Child test score and mother birth weight, controlling for channels. Dependent variable: child test score.

	(1)	(2)	(3)	(4)	(5)	(6)
Log(mother_bw)						
Mother smoked						
Controls	1	125	142	542	757	758
Basic controls		Yes	Yes	Yes	Yes	Yes
Human capital			Yes	Yes	Yes	Yes
Economic capital				Yes	Yes	Yes
Grandparent capital					Yes	Yes
Behavior						Yes

**Tab:** Child test score and mother birth weight, controlling for channels. Dependent variable: child test score.

	(1)	(2)	(3)	(4)	(5)	(6)
Log(mother_bw)	0.246*** (0.014)					
Mother smoked						
Controls	1	125	142	542	757	758
Basic controls		Yes	Yes	Yes	Yes	Yes
Human capital			Yes	Yes	Yes	Yes
Economic capital				Yes	Yes	Yes
Grandparent capital					Yes	Yes
Behavior						Yes

## C Controlling for different channels

**Tab:** Child test score and mother birth weight, controlling for channels. Dependent variable: child test score.

	(1)	(2)	(3)	(4)	(5)	(6)
Log(mother_bw)	0.246*** (0.014)	0.176*** (0.014)				
Mother smoked						
Controls	1	125	142	542	757	758
Basic controls		Yes	Yes	Yes	Yes	Yes
Human capital			Yes	Yes	Yes	Yes
Economic capital				Yes	Yes	Yes
Grandparent capital					Yes	Yes
Behavior						Yes

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	(1)	(2)	(3)	(4)	(5)	(6)
Log(mother_bw)	0.246*** (0.014)	0.176*** (0.014)	0.106*** (0.013)			
Mother smoked						
Controls	1	125	142	542	757	758
Basic controls		Yes	Yes	Yes	Yes	Yes
Human capital			Yes	Yes	Yes	Yes
Economic capital				Yes	Yes	Yes
Grandparent capital					Yes	Yes
Behavior						Yes



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	(1)	(2)	(3)	(4)	(5)	(6)
Log(mother_bw)	0.246*** (0.014)	0.176*** (0.014)	0.106*** (0.013)	0.101*** (0.013)		
Mother smoked						
Controls	1	125	142	542	757	758
Basic controls		Yes	Yes	Yes	Yes	Yes
Human capital			Yes	Yes	Yes	Yes
Economic capital				Yes	Yes	Yes
Grandparent capital					Yes	Yes
Behavior						Yes

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	(1)	(2)	(3)	(4)	(5)	(6)
Log(mother_bw)	0.246*** (0.014)	0.176*** (0.014)	0.106*** (0.013)	0.101*** (0.013)	0.085*** (0.013)	
Mother smoked						
Controls	1	125	142	542	757	758
Basic controls		Yes	Yes	Yes	Yes	Yes
Human capital			Yes	Yes	Yes	Yes
Economic capital				Yes	Yes	Yes
Grandparent capital					Yes	Yes
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	(1)	(2)	(3)	(4)	(5)	(6)
Log(mother_bw)	0.246*** (0.014)	0.176*** (0.014)	0.106*** (0.013)	0.101*** (0.013)	0.085*** (0.013)	0.080*** (0.013)
Mother smoked						-0.086*** (0.006)
Controls	1	125	142	542	757	758
Basic controls		Yes	Yes	Yes	Yes	Yes
Human capital			Yes	Yes	Yes	Yes
Economic capital				Yes	Yes	Yes
Grandparent capital					Yes	Yes
Behavior						Yes

### C Does mother BW simply capture economic and human capital?

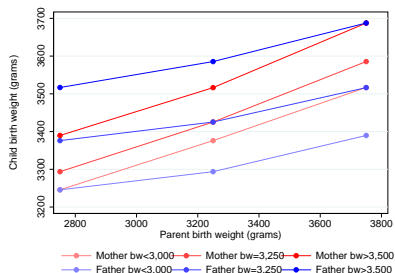
- ▶ **No**,  $\approx 1/3$  of the coefficient is not explained by parent and grandparent economic and human capital.

### The missing father

- ▶ How important is father neonatal health?

## D Mother vs. father neonatal health.

**Fig:** Mother and father neonatal health  
**A:** Child BW

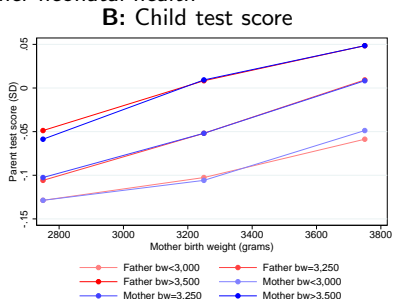
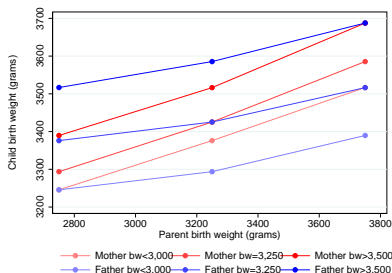


## D Does father neonatal health predict child outcomes?

- ▶ **Yes**, father BW predicts child BW, but father BW is less powerful than mother BW.

## D Mother vs. father neonatal health.

**Fig: Mother and father neonatal health**



### D Does father neonatal health predict child outcomes?

- ▶ **Yes**, father BW predicts child BW, but father BW is less powerful than mother BW.  
Father and mother BW equally important in predicting child cognitive development.

## A Does mother neonatal health predict child cognitive development?

- ▶ **Yes**, coefficient  $\approx$  five times larger than partial estimates suggest.

## B Is the source of variation in BW important?

- ▶ **Yes**, variation in BW related to parental BW  $\approx$  five times more important than variation in BW unrelated to parental BW.

## C Does mother BW simply capture economic and human capital?

- ▶ **No**,  $\approx$  1/3 of the coefficient is not explained by parent and grandparent economic and human capital.

## D Does father neonatal health predict child outcomes?

- ▶ **Yes**, father BW predicts child BW, but father BW is less powerful than mother BW.

Father and mother BW equally important in predicting child cognitive development.

**Intergenerational transmission of neonatal health is related to development of cognitive skills and probably also economic outcomes.**

- ▶ A 10% higher mother (or father) BW is associated with a 2.5% SD higher test score  
( $\approx$  to a change of 5 income percentiles).
- ▶ Understanding how parental neonatal health is related to child development is important for understanding intergenerational correlations in economic outcomes.



extra slides

**Tab:** Regression results Mother twin FE

Dependent variable	(1) log(child bw)	(2) log(child bw)	(3) test score	(4) test score
Log (mother bw)	0.025 (0.068)	0.098 (0.119)	0.390 (0.371)	1.321** (0.621)
Observations	100	100	100	100
Grandmother FE		Yes		Yes

Controls included: mother age at child birth (indicators). \*  $p < 0.1$ , \*\*  $p < 0.05$ , and \*\*\*  $p < 0.01$ .

**Finding:** Within twin variation in birth weight related to BW and GPA of next generation.